

只限教師參閱 FOR TEACHERS' USE ONLY

香港考試局

HONG KONG EXAMINATIONS AUTHORITY

一九九七年香港中學會考

HONG KONG CERTIFICATE OF EDUCATION EXAMINATION, 1997

數學 試卷一

MATHEMATICS PAPER I

本評卷參考乃考試局專為今年本科考試而編寫，供閱卷員參考之用。閱卷員在完成閱卷工作後，若將本評卷參考提供其任教會考班的本科同事參閱，本局不表反對，但須切記，在任何情況下均不得容許本評卷參考落入學生手中。學生若索閱或求取此等文件，閱卷員/教師應嚴詞拒絕，因學生極可能將評卷參考視為標準答案，以致但知硬背死記，活剝生吞。這種落伍的學習態度，既不符現代教育原則，亦有違考試着重理解能力與運用技巧之旨。因此，本局籲請各閱卷員/教師通力合作，堅守上述原則。

This marking scheme has been prepared by the Hong Kong Examinations Authority for markers' reference. The Examinations Authority has no objection to markers sharing it, after the completion of marking, with colleagues who are teaching the subject. However, under no circumstances should it be given to students because they are likely to regard it as a set of model answers. Markers/teachers should therefore firmly resist students' requests for access to this document. Our examinations emphasise the testing of understanding, the practical application of knowledge and the use of processing skills. Hence the use of model answers, or anything else which encourages rote memorisation, should be considered outmoded and pedagogically unsound. The Examinations Authority is counting on the co-operation of markers/teachers in this regard.

考試結束後，各科評卷參考將存放於教師中心，供教師參閱。

After the examinations, marking schemes will be available for reference at the Teachers' Centres.

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97-CE-MATHS I-1

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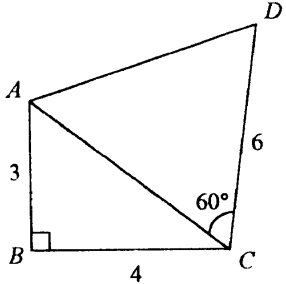
Hong Kong Certificate of Education Examination
Mathematics Paper I

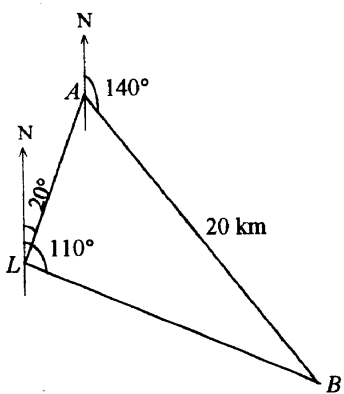
NOTES FOR MARKERS

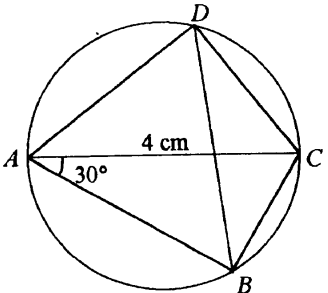
1. It is very important that all markers should adhere as closely as possible to the marking scheme. In many cases, however, candidates will have obtained a correct answer by an alternative method not specified in the marking scheme. In general, a correct answer merits *all the marks* allocated to that part, provided that the method used is sound.
2. In a question consisting of several parts each depending on the previous parts, marks may be awarded to steps or methods correctly deduced from previous erroneous answers. However, marks for the corresponding answers should NOT be awarded. In the marking scheme, marks are classified as:

‘M’ marks	awarded for correct methods being used;
‘A’ marks	awarded for the accuracy of the answers;
Others	awarded for correctly completing a proof or arriving at an answer given in a question.
3. Use of notation different from those in the marking scheme should not be penalised.
4. Each mark deducted for *poor presentation* (p.p.) should be denoted by [pp-1] :
 - a. At most deduct 1 mark for (p.p.) in each question, up to a maximum of 3 marks for the whole paper.
 - b. For similar (p.p.), deduct 1 mark for the first time that it occurs.
i.e. do not penalise candidates twice in the paper for the same p.p.
5. Each Mark deducted for *wrong/no unit* (u.) should be denoted by [u-1] :
 - a. No mark can be deducted for (u.) in Section A.
 - b. At most deduct 1 mark for (u.) for the whole paper.
6. Marks entered in the Page Total Box should be the NET total scored on that page.

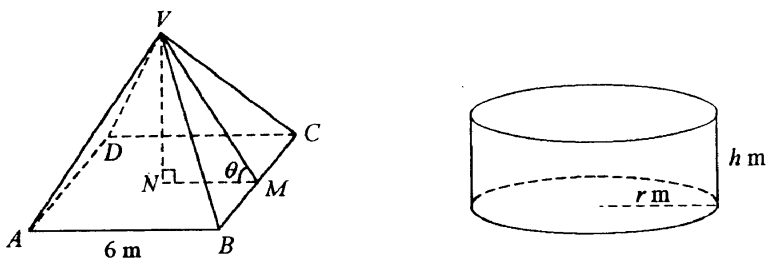
Solution	Marks	Remarks
1. (a) $x^2 - 9 = (x - 3)(x + 3)$	2A	
(b) $ac + bc - ad - bd = (a + b)c - (a + b)d = (a + b)(c - d)$	1A <u>1A</u> (4)	
2. (a) $\sqrt{27} - \sqrt{12} = 3\sqrt{3} - 2\sqrt{3} = \sqrt{3}$	1A 1A	For simplifying either term
(b) $\frac{1}{2\sqrt{3} + \sqrt{2}} = \frac{2\sqrt{3} - \sqrt{2}}{(2\sqrt{3} + \sqrt{2})(2\sqrt{3} - \sqrt{2})} = \frac{2\sqrt{3} - \sqrt{2}}{(2\sqrt{3})^2 - (\sqrt{2})^2} = \frac{2\sqrt{3} - \sqrt{2}}{10}$ (or $\frac{\sqrt{3}}{5} - \frac{\sqrt{2}}{10}, \frac{\sqrt{2}(\sqrt{6} - 1)}{10}$)	1A 1A <u>1A</u> (5)	can be omitted
3. (a) $\frac{x^3 y^2}{x^{-3} y} = x^{3 - (-3)} y^{2 - 1} = x^6 y$	1M 1A	For applying $a^m a^n = a^{m+n}$, $\frac{a^m}{a^n} = a^{m-n}$ or $\frac{1}{a^n} = a^{-n}$
(b) $\frac{\log 8 + \log 4}{\log 16} = \frac{\log 2^3 + \log 2^2}{\log 2^4} = \frac{3 \log 2 + 2 \log 2}{4 \log 2}$	1M 1M	For expressing the numbers as powers of a common number For applying $\log a^n = n \log a$
<p>OR</p> $\frac{\log 8 + \log 4}{\log 16} = \frac{\log 32}{\log 16} = \frac{\log 2^5}{\log 2^4} = \frac{5 \log 2}{4 \log 2}$	1M 1M	
$= \frac{5}{4}$ (or 1.25)	<u>1A</u> (5)	

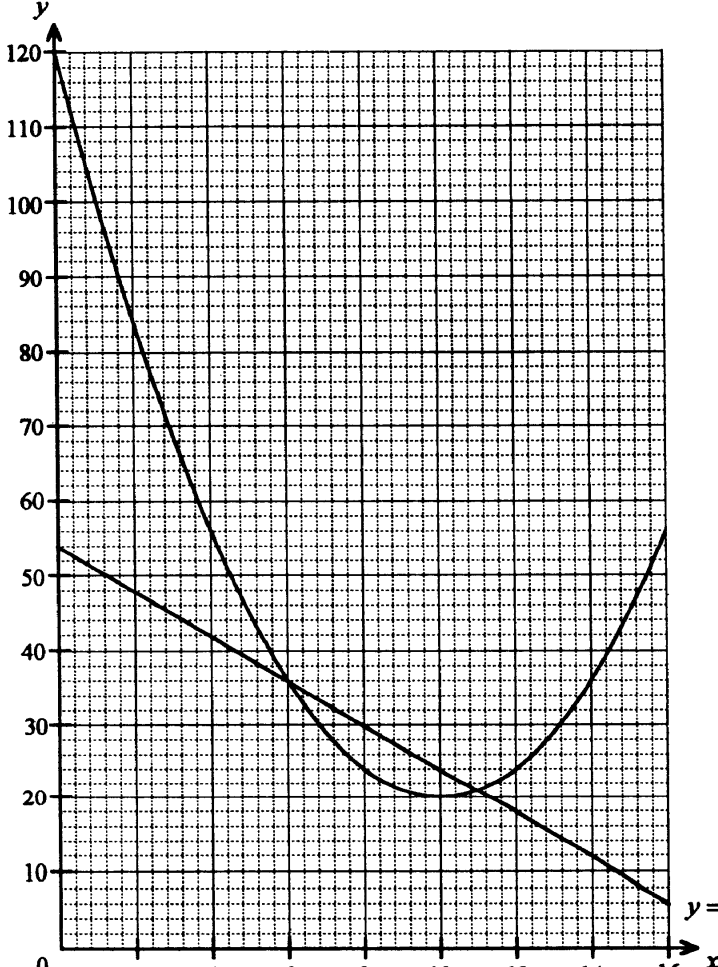
Solution	Marks	Remarks
<p>Note: In question 4, accept graphical solutions if no algebraic expressions as answers are provided. Withhold 1 mark for having equal signs in inequalities.</p>		
<p>4. (i) $2x - 17 > 0$ $x > \frac{17}{2}$</p> <p>(ii) $x^2 - 16x + 63 > 0$ $(x - 7)(x - 9) > 0$ $x < 7$ or $x > 9$</p> <p>The range of values of x which satisfy both the inequalities in (i) and (ii): $x > 9$</p>	<p>1A</p> <p>1A 2A</p> <hr style="width: 50%; margin: 0 auto;"/> <p>1A (5)</p>	<p></p> <p>For factorization, can be omitted</p>
<p>5.</p> <div style="text-align: center;">  </div> <p>(a) $AC = 5$</p> <p>(b) $AD = \sqrt{5^2 + 6^2 - 2(5)(6)(\cos 60^\circ)}$ $= \sqrt{31}$ (or 5.57)</p> <p>(c) Area of $\triangle ACD = \frac{1}{2}(5)(6) \sin 60^\circ$ $= \frac{15}{2}\sqrt{3}$ (or 13.0)</p>	<p>1A</p> <p>1M 1A</p> <p>1M</p> <hr style="width: 50%; margin: 0 auto;"/> <p>1A (5)</p>	<p></p> <p>For the cosine rule r.t. 5.57</p> <p>r.t. 13.0</p>

Solution	Marks	Remarks
<p>6.</p>  <p>(a) $\angle LAB = 180^\circ - 140^\circ + 20^\circ = 60^\circ$ (or $\angle LBA = 30^\circ$) $\therefore \angle ALB = 110^\circ - 20^\circ = 90^\circ$ $\therefore \triangle ALB$ is right-angled at L $LB = 20 \sin 60^\circ \text{ km}$ $\approx 10\sqrt{3} \text{ km}$ (or 17.3 km)</p> <p>(b) $\angle ABL = 30^\circ$ Let ϕ be the bearing of L from B. Then $\phi = 360^\circ - 30^\circ - 40^\circ = 290^\circ$ \therefore The bearing of L from B is 290°. (or $N70^\circ W$)</p>	<p>1A</p> <p>1M</p> <p>1A</p> <p>1M</p> <p>1A</p> <hr/> <p>(5)</p>	<p>r.t. 17.3</p>
<p>7. (a) The height of the smaller cone : the height of the larger cone $= 2 : 3$</p> <p>(b) Total surface area of the smaller cone : total surface area of the larger cone $= 4 : 9$ The cost of painting the larger cone $= \\$32 \times \frac{9}{4}$ $= \\$72$</p>	<p>1A</p> <p>1M</p> <p>1M</p> <hr/> <p>1A</p> <p>(4)</p>	
<p>8. (a) $\alpha + \beta = \frac{7}{2}$ $\alpha\beta = 2$</p> <p>(b) $(\alpha + 2) + (\beta + 2) = (\alpha + \beta) + 4$ $= \frac{7}{2} + 4$ $= \frac{15}{2}$</p> <p>$(\alpha + 2)(\beta + 2) = \alpha\beta + 2(\alpha + \beta) + 4$ $= (2) + 2\left(\frac{7}{2}\right) + 4$ $= 13$</p> <p>\therefore The required equation is $2x^2 - 15x + 26 = 0$.</p>	<p>1A</p> <p>1A</p> <p>1A</p> <p>1M</p> <p>1A</p> <hr/> <p>1A</p> <p>(6)</p>	<p>Or equivalent</p>

Solution	Marks	Remarks
<p>9.</p>  <p>(a) $\angle BDC = 30^\circ$ $\angle ADC = 90^\circ$ $\angle ADB = 90^\circ - 30^\circ = 60^\circ$</p> <p>(b) $\widehat{AB} : \widehat{BC} = 60 : 30 = 2 : 1$</p> <p>(c) $AB : BC = 4 \cos 30^\circ : 4 \sin 30^\circ$ (or $\tan 60^\circ$) $= \sqrt{3} : 1$ (or $1.73 : 1, 1 : 0.577$)</p> <p>10. (a) Population at the end of 1998 = $300\,000(1+2\%)^2 = 312\,120$</p>	<p>1A 1A 1A 1A 1M 1A <hr/>6 1A 1A</p>	<p>can be omitted Accept 2 For finding AB and BC Accept $\sqrt{3}$ etc. Numerical ans. r.t. 1.73, 0.577 r.t. 312000</p>
<p><u>OR</u> Population at the end of 1997 = $300\,000(1+2\%) = 306\,000$ Population at the end of 1998 = $306\,000(1+2\%) = 312\,120$</p>	<p>1M+1A</p>	<p>r.t. 312000</p>
<p>(b) If $300\,000(1+2\%)^n = 330\,000$, then $1.02^n = 1.1$ $n \log 1.02 = \log 1.1$ $n \approx 4.81$ \therefore The population will exceed 330 000 at the end of 2001.</p>	<p>1A 1M 1A 1A</p>	<p>Accept $n = 5$</p>
<p><u>OR</u> Population at the end of 1999 = $300\,000(1+2\%)^3 \approx 318\,362$ Population at the end of 2000 = $300\,000(1+2\%)^4 \approx 324\,730$ Population at the end of 2001 = $300\,000(1+2\%)^5 \approx 331\,224$ \therefore The population will exceed 330 000 at the end of 2001.</p>	<p>1M 1A 1A 1A</p>	<p>1M for calculating the populations of any two years r.t. 325 000 r.t. 331 000</p>
	<p><hr/>6</p>	

Solution	Marks	Remarks
11. (a) (i) Mean = 64.4 (ii) Mode = 95 (iii) Median = 78 (iv) Standard deviation = 30.6	1A 1A 1A 1A	r.t. 64.4 r.t. 30.6
(b) This is because the distribution of marks in the Mathematics test is biased (to the high end).	1	
(c) (i) Let the student scored x marks in the English test. $\frac{x-63}{15} = 0.4$ $x = 69$	1A 1A	
(ii) (I) Percentage of classmates scored fewer marks than Lai Wah in the Mathematics test $= \frac{17}{35} \times 100\%$ $\approx 48.6\% \quad (\text{or } 48\frac{4}{7}\%)$	1A	r.t. 48.6
(II) The standard score of Lai Wah in the English test $= \frac{78-63}{15}$ $= 1$ <p>\therefore The marks of the English test is normally distributed \therefore More than half (or about 84%) of her classmates scored less than her. Hence Lai Wah performed better in the English test than in the Mathematics test relative to her classmates.</p>	1A 1	Or 84%
<p><u>OR</u></p> (II) The standard score of Lai Wah in the English test $= \frac{78-63}{15}$ $= 1$ The standard score of Lai Wah in the Mathematics test $= \frac{78-64.4}{30.6}$ ≈ 0.44 <p>\therefore Lai Wah performed better in the English test than in the Mathematics test relative to her classmates.</p>	1A 1	
(iii) The mean of the marks in the English test after the wrong mark has been corrected $= 63 + \frac{10}{35} \quad (\text{or } \frac{63 \times 35 + 10}{35})$ ≈ 63.3	1A 1A	r.t. 63.3

Solution	Marks	Remarks
<p>12.</p> 		
<p>(a) (i) $VN = 3 \tan \theta$ m</p>	1A	
<p>$VM = \frac{3}{\cos \theta}$ m (or $3\sqrt{1 + \tan^2 \theta}$ m)</p>	1A	
<p>(ii) Capacity = $\frac{1}{3} \cdot 6^2 \cdot 3 \tan \theta$ m³(1)</p>	1M	For either (1) or (2)
<p>$= 36 \tan \theta$ m³</p>	1A	
<p>Total surface area = $4 \cdot \frac{6}{2} \cdot \frac{3}{\cos \theta}$ m²(2)</p>		
<p>$= \frac{36}{\cos \theta}$ m² (or $\frac{36}{\sqrt{1 + \tan^2 \theta}}$ m²)</p>	1A	
<p>(b) (i) ∴ The base areas of the greenhouses are the same</p>		
<p>∴ $\pi r^2 = 36$</p>		
<p>$r = \frac{6\sqrt{\pi}}{\pi}$ (or $\frac{6}{\sqrt{\pi}}$)</p>	1A	
<p>(ii) ∴ The capacities of the greenhouses are the same</p>		
<p>∴ $36h = 36 \tan \theta$ (or $\pi \left(\frac{6}{\sqrt{\pi}}\right)^2 h = 36 \tan \theta$)</p>	1M	
<p>$h = \tan \theta$</p>	1A	
<p>(iii) If the total surface areas of the greenhouses are equal, then</p>		
<p>$\pi r^2 + 2\pi r h = \frac{36}{\cos \theta}$</p>		
<p>$36 + 2\pi \cdot \frac{6}{\sqrt{\pi}} \cdot \tan \theta = \frac{36}{\cos \theta}$</p>	1M	
<p>$36 + 12\sqrt{\pi} \tan \theta = \frac{36}{\cos \theta}$</p>		
<p>$3 + \sqrt{\pi} \tan \theta = \frac{3}{\cos \theta}$</p>	1	
<p>(iv) ∴ $3 + \sqrt{\pi} \tan 61^\circ - \frac{3}{\cos 61^\circ} (\approx 0.00960) > 0$</p>	} 1M+1A	r.t. 0.01
<p>$3 + \sqrt{\pi} \tan 62^\circ - \frac{3}{\cos 62^\circ} (\approx -0.0567) < 0$</p>		r.t. -0.06
<p>∴ (*) has a root between 61° and 62°.</p>		

Solution	Marks	Remarks
13. (a) (i) From the graph, y is minimum when $x = 10$ \therefore Number of belts in a batch = 10	1A	
(ii) From the graph, $y < 90$ when $x \geq 2$ i.e. $x = 2, 3, \dots, 11$ \therefore Number of belts in a batch = 2, 3, 4, ..., 11	1M 1A	Accept $x > 1.6, x \geq 1.6$ or $x = 2, 3, 4, \dots$ Accept $2 \leq x \leq 11$
(b) (i) $144 = 3^2 - 17(3) + c, c = 186$	1A	
(ii) If $H = 120$, then $x^2 - 17x + 186 = 120$ $x^2 - 17x + 66 = 0$ $x^2 - 20x + 120 = -3x + 54$ By adding the line $y = -3x + 54$ on the graph,	1M 1A	
 <p style="text-align: center;">$x = 6$ or 11 (rej.)</p>	1A	$x = 6 \pm 0.2, 11 \pm 0.2$
\therefore The required number of handbags is 6.	1A+1A	
(iii) Total cost of 10 belts and 6 handbags $= \$[10 \times (10^2 - 20 \times 10 + 120) + 6(6^2 - 17 \times 6 + 186)]$ $= \$[10 \times 20 + 6 \times 120]$ $= \$920$	1A	
Total income for selling the belts and handbags $= \$[6 \times 100 + 4 \times 300 + 4 \times 10 + 2 \times 60]$ $= \$1960$	1A	
\therefore She gained \$1040.	1A	

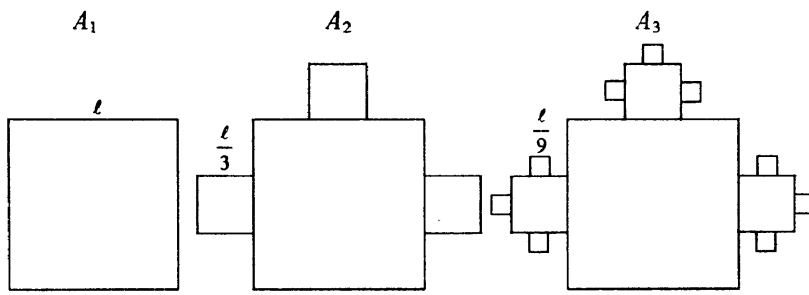
Solution	Marks	Remarks
14. (a) (i) $P(0 < T \leq 200) = \frac{40}{50} \cdot \frac{39}{49}$ $= \frac{156}{245}$ (or 0.637)	1A	
	1A	r.t. 0.637 (Ref. A_1)
(ii) $P(500 \leq T \leq 700) = \frac{10}{50} \cdot \frac{40}{49} + \frac{40}{50} \cdot \frac{10}{49}$ $= 2 \cdot \frac{10 \times 40}{50 \times 49}$ $= \frac{16}{49}$ (or 0.327)	1M+1A	1M for $p_1p_2 + p_2p_1$ 1A for either term
(iii) $P(1000 \leq T \leq 1200) = \frac{10}{50} \cdot \frac{9}{49}$ $= \frac{9}{245}$ (or 0.0367)	1A	r.t. 0.327 (Ref. A_2)
(iv) $P(T > 1200) = 0$	1A	r.t. 0.0367 (Ref. A_3)
(b) Let the total weight obtained in the afternoon be T' .		Accept 'impossible', 'no chance'
(i) $P(T' < 450 \text{ or } T' > 850)$ $= \frac{156}{245} + \frac{9}{245}$ $= \frac{33}{49}$ (or 0.673)	1M	For $A_1 + A_3$
(ii) $P(T - T' > 200)$ $= 1 - \left(\frac{156}{245}\right)^2 - \left(\frac{16}{49}\right)^2 - \left(\frac{9}{245}\right)^2$ $= \frac{29208}{60025}$ (or 0.487)	1A	r.t. 0.673
OR $= \frac{156}{245} \left(\frac{16}{49} + \frac{9}{245}\right) + \frac{16}{49} \left(\frac{156}{245} + \frac{9}{245}\right) + \frac{9}{245} \left(\frac{156}{245} + \frac{16}{49}\right)$ $= \frac{29208}{60025}$ (or 0.487)	1M	For $1 - A_1^2 - A_2^2 - A_3^2$
	1A	r.t. 0.487

Solution

Marks

Remarks

15. (a)



(i)

Table 1	$A_1 \rightarrow A_2$	$A_2 \rightarrow A_3$	$A_3 \rightarrow A_4$
Number of squares added	3	9	27
Length of sides of the squares added	$\frac{l}{3}$	$\frac{l}{9}$	$\frac{l}{27}$

1A

1A

(ii) Total area of all the squares in A_4

$$= l^2 + 3\left(\frac{l}{3}\right)^2 + 9\left(\frac{l}{9}\right)^2 + 27\left(\frac{l}{27}\right)^2$$

$$= \left(1 + \frac{1}{3} + \frac{1}{9} + \frac{1}{27}\right)l^2$$

$$= \frac{40}{27}l^2 \quad (\text{or } 148l^2)$$

1A+1M

1A for the first three terms
1M for the 4th term

1A

r.t. 1.48

(iii) $k = \left(1 + \frac{1}{3} + \frac{1}{9} + \frac{1}{27} + \dots\right)l^2$

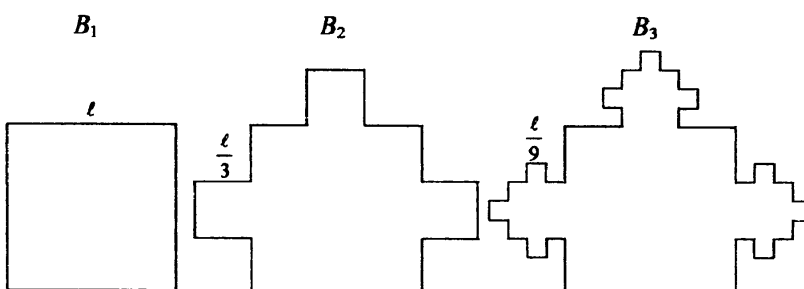
$$= \frac{1}{1 - \frac{1}{3}}l^2$$

$$= \frac{3}{2}l^2 \quad (\text{or } 15l^2)$$

1A

1A

(b)



(i)

Table 2	B_1	B_2	B_3	B_4
Perimeter	$4l$	$6l$	$8l$	$10l$

1A+1A+1A

(ii) Perimeter of B_n

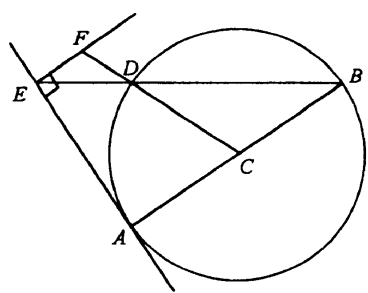
$$= 4l + (n-1)(2l)$$

$$= 2(n+1)l \quad (\text{or } (2n+2)l, 2nl+2l)$$

1A

The perimeter of B_n would tend to infinity if n increases indefinitely.

1A

Solution	Marks	Remarks										
<p>16. (a)</p>  <p>(i) $\therefore \angle CAE = 90^\circ$ $\therefore \angle CAE + \angle FEA = 180^\circ$ Hence $AB \parallel EF$ (int. \angles supp.)</p>		[同側(旁)內角互補]										
<table border="1"> <tr> <td>Marking Scheme</td> <td>2</td> </tr> <tr> <td>Case 1 Any correct proof with correct reasons</td> <td>[2]</td> </tr> <tr> <td>Case 2 Any correct proof without correct reasons</td> <td>[1]</td> </tr> <tr> <td>Case 3 Any relevant correct argument with correct reason</td> <td>[1]</td> </tr> </table>	Marking Scheme	2	Case 1 Any correct proof with correct reasons	[2]	Case 2 Any correct proof without correct reasons	[1]	Case 3 Any relevant correct argument with correct reason	[1]				
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<p>(ii) $\therefore \angle FDE = \angle CDB$ (vert. opp. \angles) $\angle CDB = \angle CBD$ (base \angles, isos. Δ) $\angle CBD = \angle FED$ (alt. \angles, $AB \parallel EF$) $\therefore \angle FDE = \angle FED$ Hence $FD = FE$ (sides opp. equal \angles)</p>		<p>[對頂角] [等腰Δ底角] [[內]錯角, $AB \parallel EF$]</p> <p>Or “base \angles equal”, “converse of ‘base \angles, isos. Δ’”, “equal \angles, equal sides” [等角對邊相等] 或 [等腰三角形底角等的逆定理] 或 [底角相等] 或 [等邊對等角] 或 [等角對等邊]</p>										
<p>OR</p> <p>$\therefore \angle FDE = \angle CDB$ (vert. opp. \angles) $\angle FED = \angle CBD$ (alt. \angles, $AB \parallel EF$) $\therefore \Delta CBD \sim \Delta FED$ (equiangular Δs) $\therefore CD = CB$ $\therefore FD = FE$</p>		<p>[對頂角] [[內]錯角, $AB \parallel EF$] Or “AAA” [等角]</p>										
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Solution	Marks	Remarks
<p>(iii) Let \mathcal{C} be the circle passing through D and touching AE at E.</p> <p>$\therefore \mathcal{C}$ touches AE at E and $EF \perp AE$.</p> <p>\therefore the centre of \mathcal{C} lies on the line EF.</p> <p>$\therefore ED$ is a chord of \mathcal{C} and $FD = FE$.</p> <p>\therefore the centre of \mathcal{C} lies on the perpendicular of DE through F.</p> <p>F is the intersection of the lines which is the centre of \mathcal{C}.</p>	<p>1</p> <p>1</p>	<p>Pointing out $EF \perp AE$ for AE touching \mathcal{C}</p> <p>Pointing out $FD = FE$ for F as centre or FD, FE as radii</p>
<p>ACCEPT</p> <p>Consider the circle with F as centre and FD as radius.</p> <p>$\therefore FD = FE$</p> <p>\therefore the circle passes through D and E.</p> <p>$\therefore EF \perp AE$ and EF is a radius</p> <p>\therefore the circle touches AE at E.</p>	<p>1</p> <p>1</p>	
<p>(b)</p> <p>Mid-point of $\overline{DE} = (-3, 3)$</p> <p>$\therefore ED$ is horizontal</p> <p>\therefore x-coordinate of $F = -3$</p> <p>Slope of $AE = -2$</p> <p>Equation of $EF: \frac{y-3}{x+4} = \frac{1}{2}$</p> $x - 2y + 10 = 0$ <p>Sub. $x = -3$ into EF,</p> $-3 - 2y + 10 = 0$ $y = \frac{7}{2}$ <p>$\therefore F = (-3, \frac{7}{2})$</p>	<p>1M</p> <p>1A</p> <p>1M</p> <p>1A</p>	<p>For any correct method of finding the x-coordinate of F</p> <p>For any correct method of finding the y-coordinate of F</p>
<p>Note: Candidate may use equations of other straight lines for finding the coordinates of F:</p> <p>EF : $x - 2y + 10 = 0$</p> <p>CD : $x + 2y - 4 = 0$</p> <p>Perpendicular from F to DE : $x = -3$</p> <p>Solving any two of the above equations simultaneously.</p> <p>Obtaining $F = (-3, \frac{7}{2})$.</p>	<p>} 1M</p> <p>1M</p> <p>1A+1A</p>	<p>For correct methods of finding any two of them</p>